



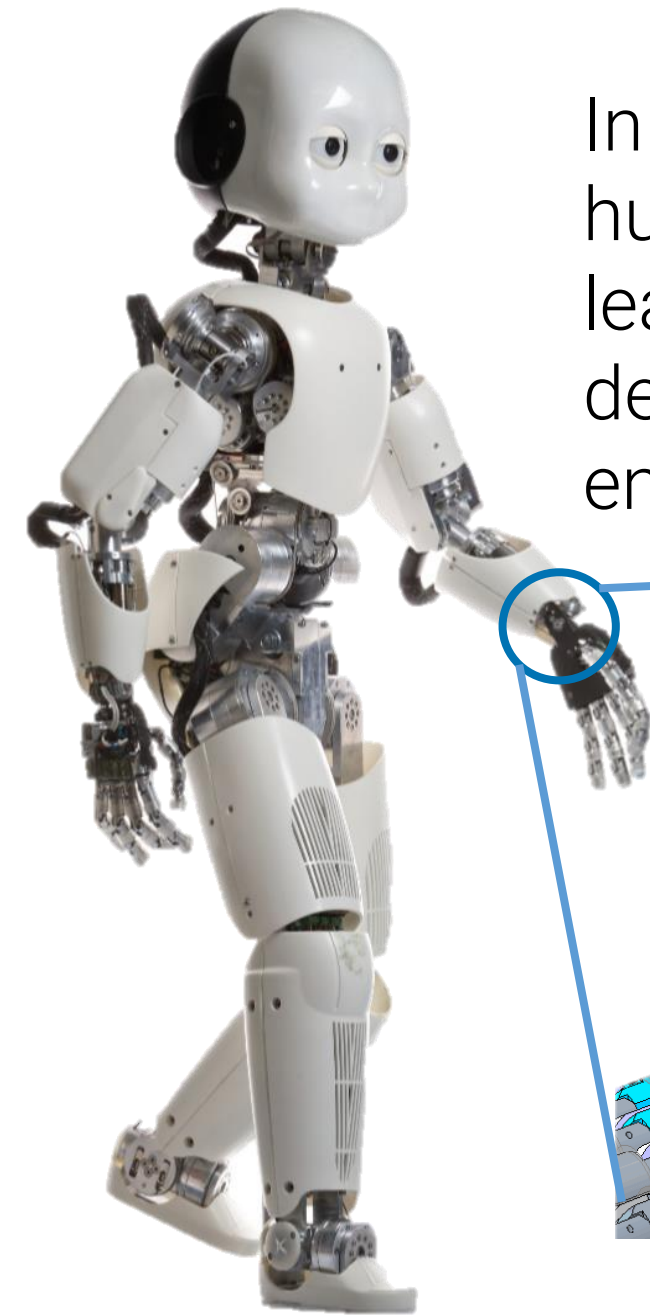
UNIVERSITÀ DEGLI STUDI
DI GENOVA

ROBOT DESIGN FOR DEXTEROUS MANIPULATION

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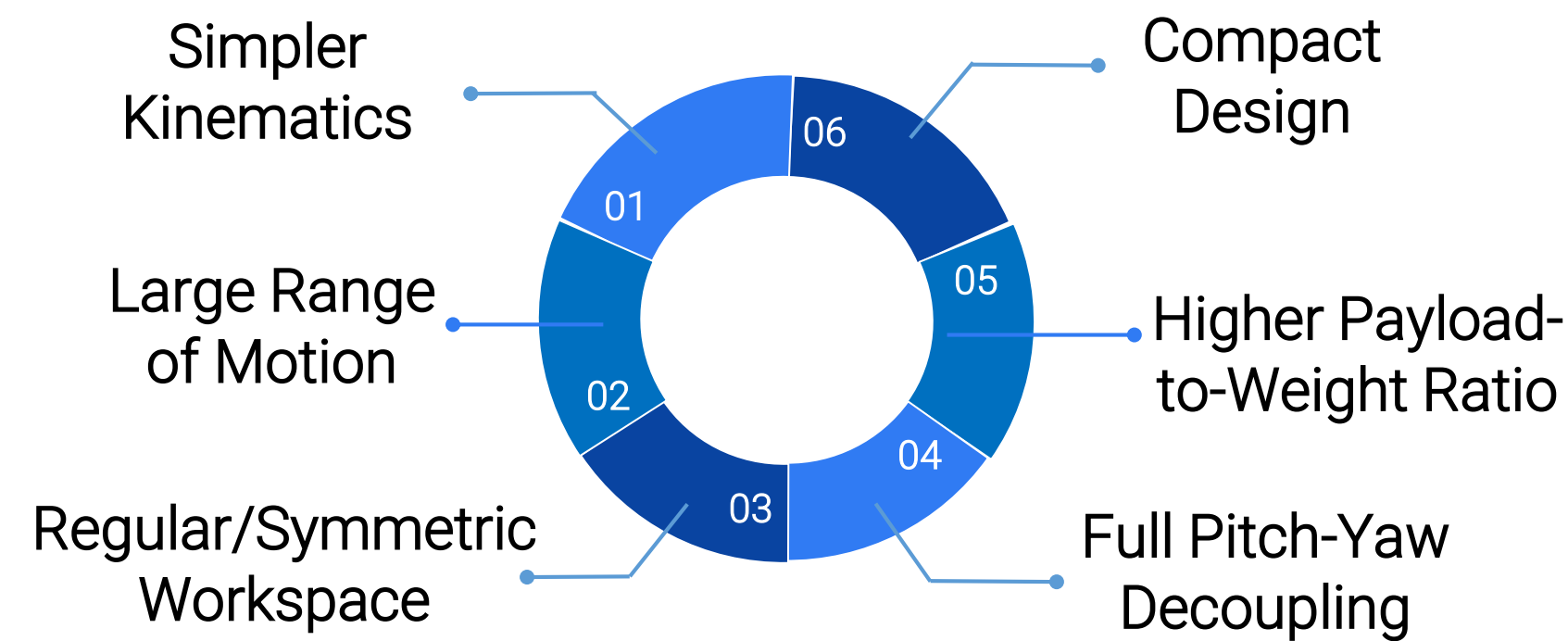
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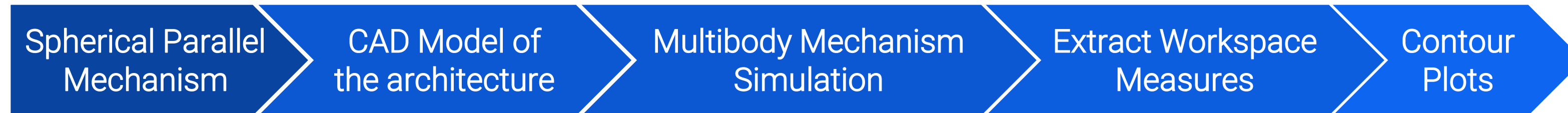
1. MOTIVATION

In today's times, it is essential for the humanoids to match up to the dexterity of the humans. These skills contribute significantly in their capacities for feeling, exploring, learning, planning and subsequently acting. *iCub* Humanoid, developed at our facility, was designed explicitly to promote research for the same. In this work, we focus on the enhancement of the *wrist dexterity*.

DESIRED WRIST CHARACTERISTICS

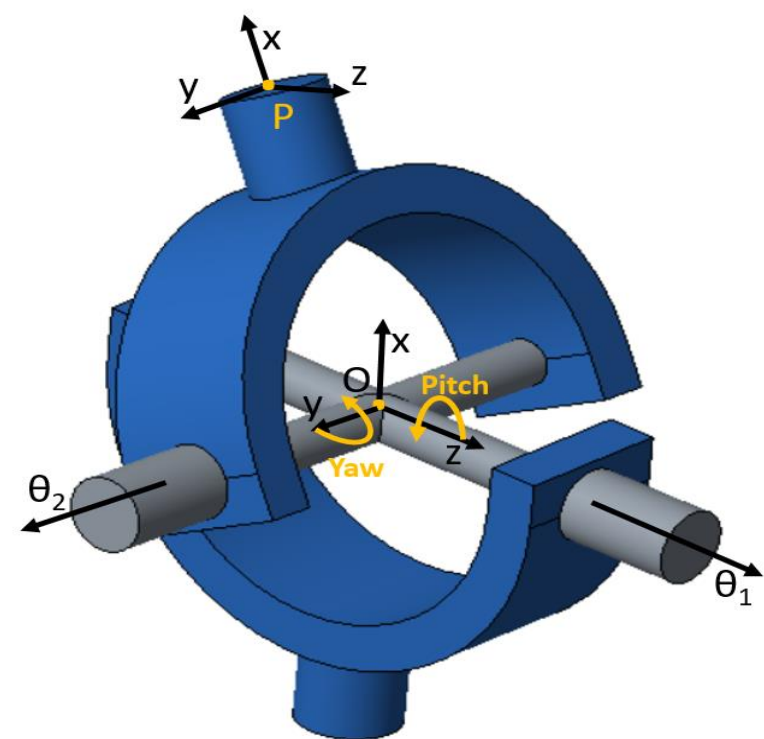


2. CAD-BASED APPROACH

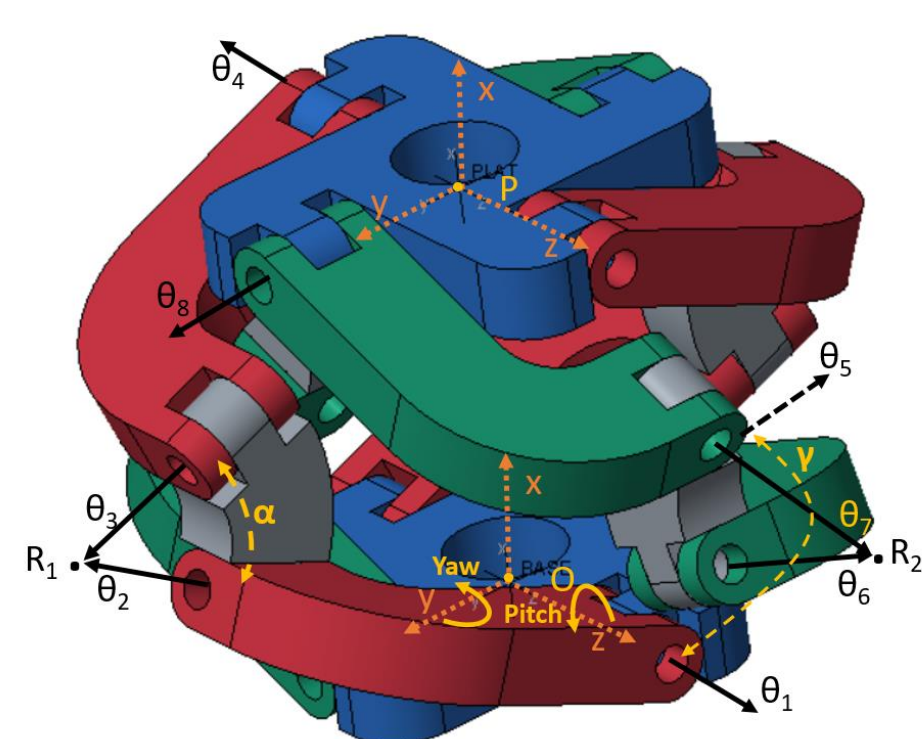


MECHANISMS

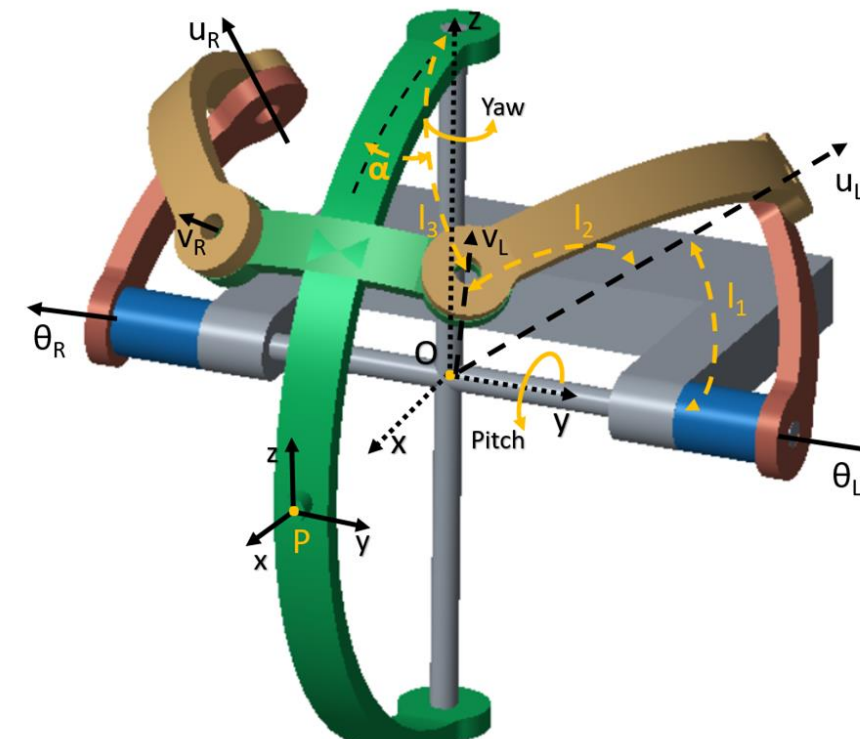
1. 2DOF Gimbal Mechanism
Serial mechanism with the desired behaviour. This is our point of reference.



2. 4-UU Mechanism
4 identical limbs with mirror-symmetric architecture of RRRR chains.



3. Spherical Six-Bar Mechanism
Six spherical linkages connected by R joints with a central gimbal.



5. CONCLUSIONS

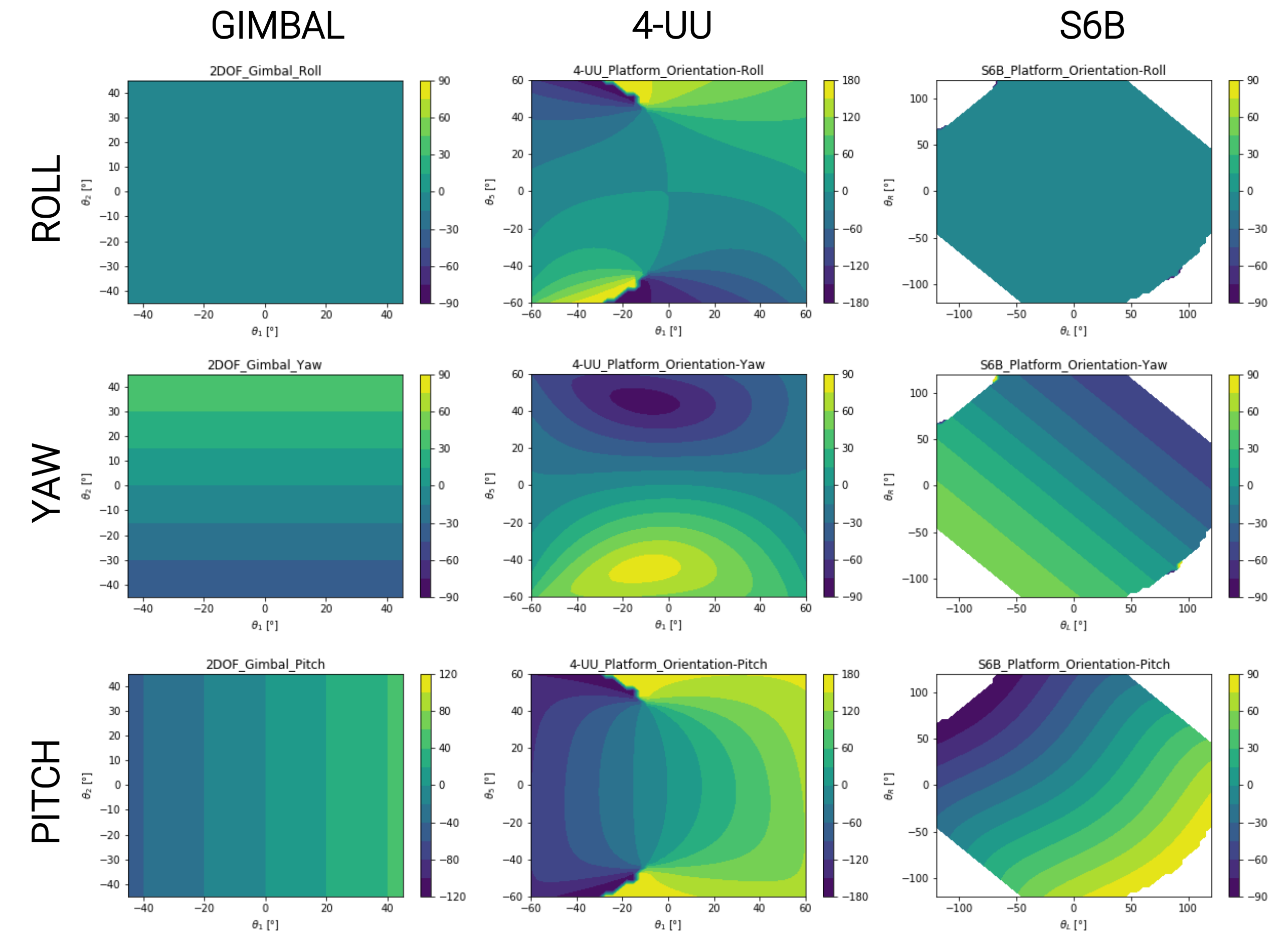
a) Warping in the Workspace: Mechanism behaviours are not symmetric, i.e., the plots are not centered with absolute zero. Workspace diverges towards the extremes, as in case of 4-UU.

b) Yaw-Pitch Coupling: Unlike gimbal, pitch and yaw contours are not straight lines, i.e., the motions are coupled with each other and one input produces both outputs.

c) Asymmetric Parasitic Roll Motion: Platform poses undesired Roll motion in case of 4-UU, which becomes difficult to be compensated. Central gimbal prevents the same for S6B.

d) Anisotropy: Mechanisms are not fully isotropic throughout the workspace. S6B best with $\Delta \geq 0.9$ for significantly large section of the workspace.

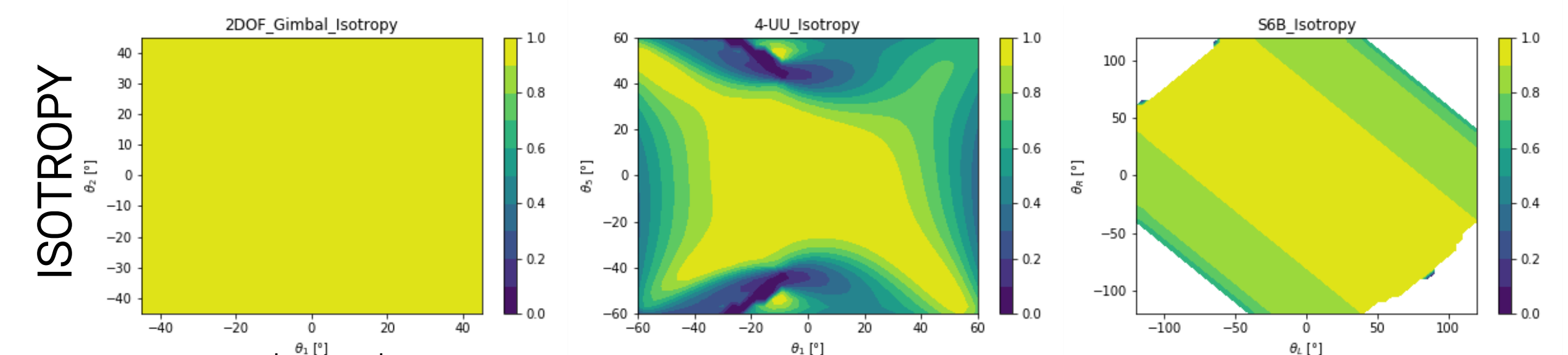
3. ORIENTATION WORKSPACE ANALYSIS



4. ISOTROPY ANALYSIS

The mechanism isotropy is defined as follows; where 'J' are the Jacobian matrices computed numerically from the simulation data and 'm' is the order of the task space:

$$\Delta = \frac{M}{\Psi} = \frac{\sqrt{\det(\mathbf{J}\mathbf{J}^T)}}{\text{trace}(\mathbf{J}\mathbf{J}^T)/m} \quad \mathbf{J} = \begin{bmatrix} \frac{\partial \theta_p}{\partial q_1} & \frac{\partial \theta_p}{\partial q_2} \\ \frac{\partial \theta_y}{\partial q_1} & \frac{\partial \theta_y}{\partial q_2} \end{bmatrix}$$



NEW = ! Work in Progress ...

